FOUNDATIONS OF MATH 2 UNIT 3 OUTLINE

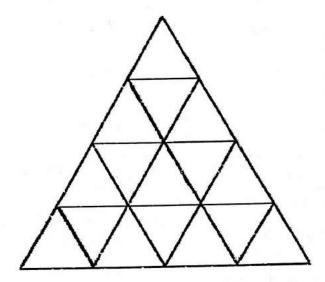
DAY	DATE	TOPIC	HOMEWORK		
1		Angles in a Triangle	KUTA Angles in a Triangle (Pages 4-6)		
2		Similar Figures Scale Factor	KUTA Similar Polygons (Pages 10-11)		
3		Similar Triangles KUTA Similar Figure (Pages 17-19)			
4		QUIZ #1 3.4 Show What You k Midsegments (Page 28)			
5		Midsegment Practice	Midsegment Worksheet #2 (Pages 35-36)		
6		Congruent Figures	KUTA Congruence & Triang (Pages 40-41)		
7		Triangle Congruence	KUTA 555, 5A5, A5A, AA (Pages 47-48)		
8		QUIZ #2 Review	Congruent Triangles Practice (Page 51)		
9		Review	STUDYIIII		
10		UNIT 3 TEST	TBD		
11		Project Day	WORK ON PROJECT		
12		PROJECT DUE!	WORK ON PROJECT		

Name:	
	-

Day 1 Warm Up

How many triangles are in the pictures below?

1.



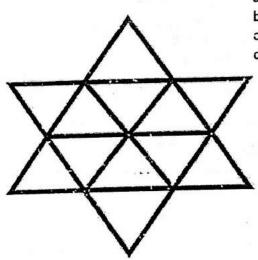
a. 16

b. 21

c. 26

d. 27

2.



a. 12

b. 18

. 20

d. 24

Day 1 Notes

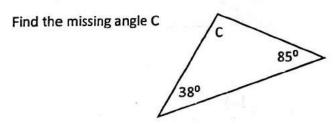
Congruent vs Similar:

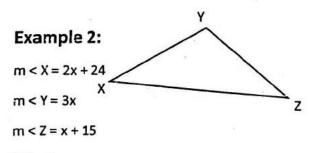
Shapes are	when they are the same size.
When we	or
a figure/shape the pre-im	age and the image are
Two shapes are ("resizing")	when the only difference is size.
Are congruent shapes also	o similar???

Triangle Angle Sum Theorem

In a triangle, the three interior angles always add to 180°

Example 1:





Solve for x.

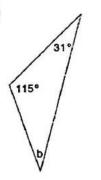
Kuta Software

Angle Sum of Triangles

Period__ Date

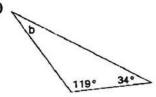
Find the measure of angle b.

1)

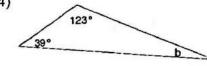


2)

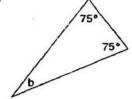




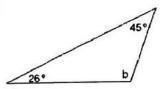
4)



5)

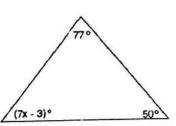


6)

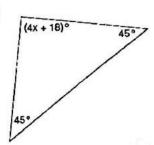


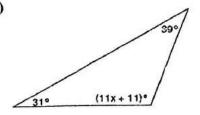
Find the value of x.

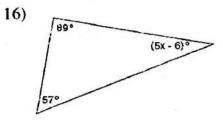
13)



14)



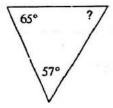


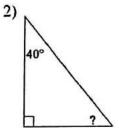


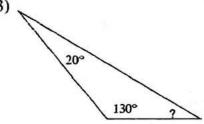
Angles in a Triangle

Find the measure of each angle indicated.

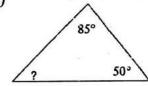




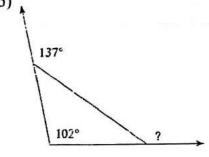




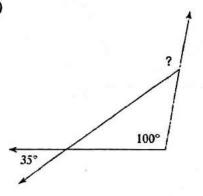
4)

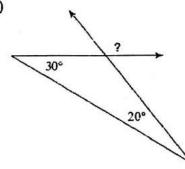


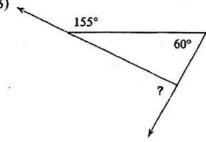
5)



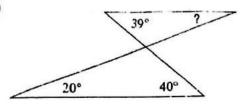
6)



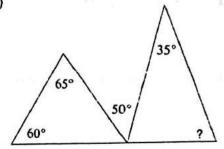




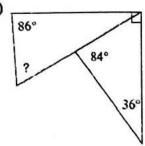
9)



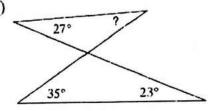
10)



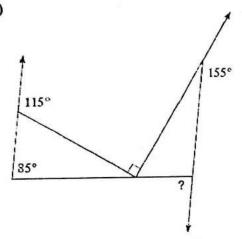
11)



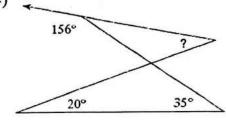
12)



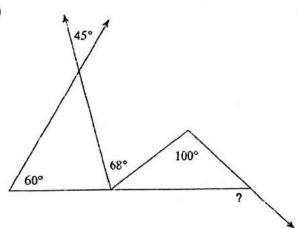
13)

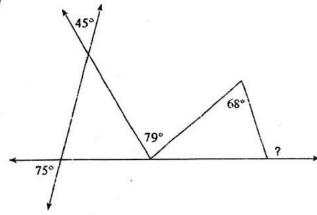


14)

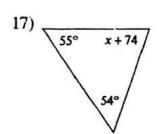


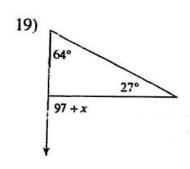
15)



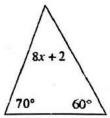


Solve for x.

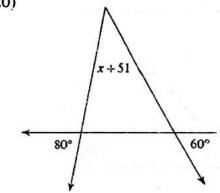




18)

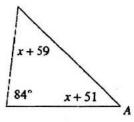


20)

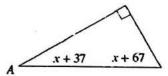


Find the measure of angle A.

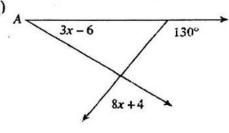
21)

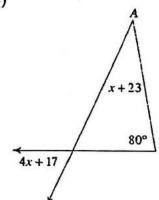


22)



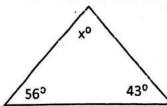
23)



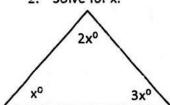


Day 2 Warm Up

1. Find the measure of angle x.



2. Solve for x.

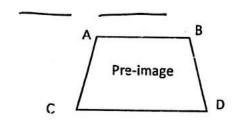


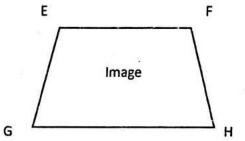
Day 2 Notes

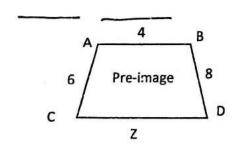
Similar Polygons Properties:

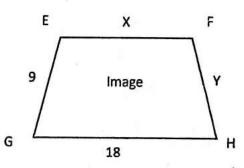
- 1.
- 2.

Exploration



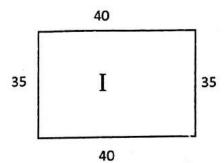


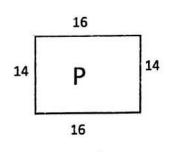




Example 1:

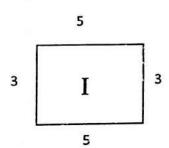
State if the polygons are similar. Explain your reasoning.

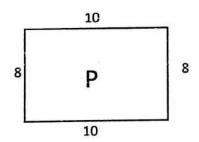




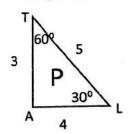
Example 2:

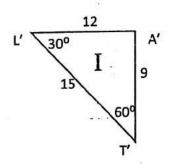
State if the polygons are similar. Explain your reasoning.





Example 3:

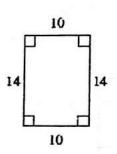




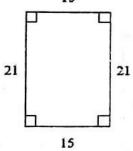
Similar Polygons

State if the polygons are similar. Explain why or why not for each pair.

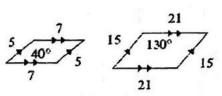
1)



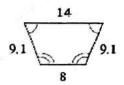
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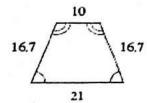


3)

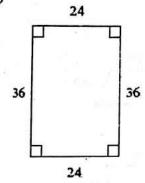


5)

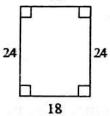




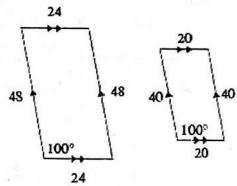
2)

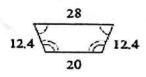


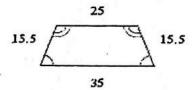
18

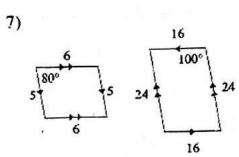


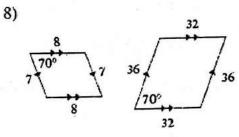
4)

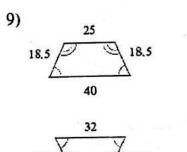


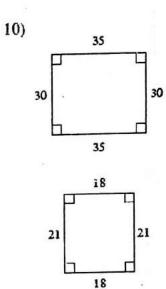




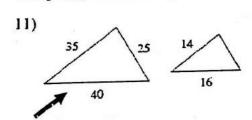


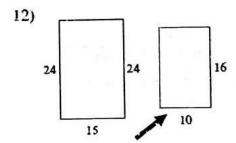


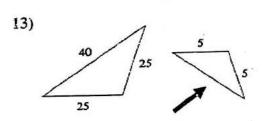


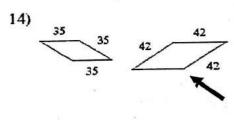


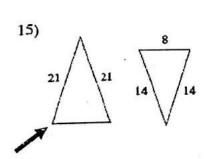
The polygons in each pair are similar. Find the scale factor. The pre-image is indicated by an arrow.

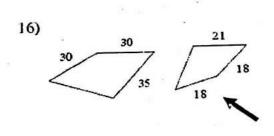










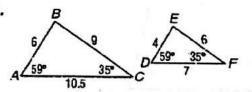


Skills Practice

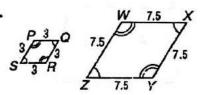
Similar Polygons

Determine whether each pair of figures is similar. Justify your answer.

1.

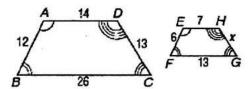


2

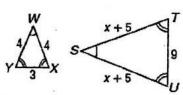


Each pair of polygons is similar. Write a similarity statement, and find x, the measure(s) of the indicated side(s), and the scale factor.

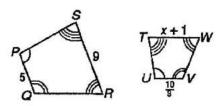
3. \overline{GH}



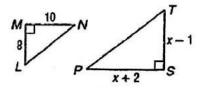
4. \overline{ST} and \overline{SU}



5. \overline{WT}

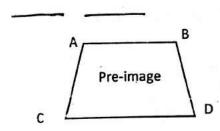


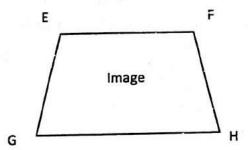
6. \overline{TS} and \overline{SP}



Day 3 Notes

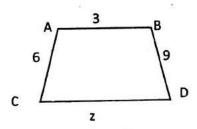
Similar Figures

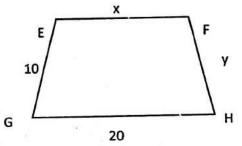




Finding Sides of Similar Figures

Find the missing sides, (x, y and z).

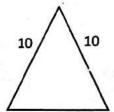




Example 1:

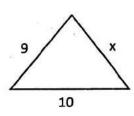
Each pair of figures is similar. Find the missing side.

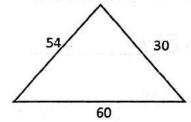




Example 2:

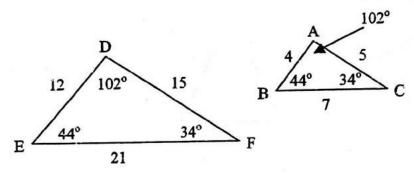
Each pair of figures is similar. Find the missing side.





Unit 3 ~ Exploring Similar Figures

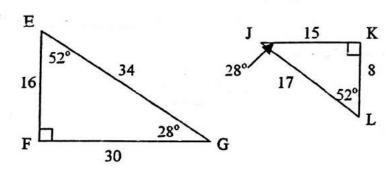
Use the triangles below to answer the following questions.



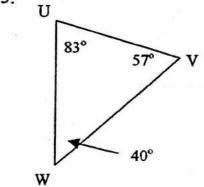
- Which angle corresponds to ∠A? _____
- 2. Which angle corresponds to ∠B? _____
- Which angle corresponds to ∠C? _____
- 4. Does each angle and its corresponding angle have the same measurement, Yes or NO?
- 5. Which side corresponds to AB?
- 6. Which side corresponds to $\overline{\text{CB}}$?
- 7. Which side corresponds to AC?_____
- 8. What is the ratio of side \overline{AB} length to the length of it corresponding side?
- 9. What is the ratio of side BC length to the length of it corresponding side?
- 10. What is the ratio of side AC length to the length of it corresponding side?
- 11. What are the ratios equal to in lowest terms?_____
- 12. Are all three ratios equal, Yes or NO?
- 13. What is the scale factor of ΔABC to ΔDEF?_____

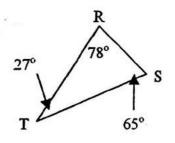
Tell if the figures are similar. If they are, write a similarity statement using the symbol for similar, \sim , and give the scale factor from the smaller polygon to the larger one. If they are not similar, explain why.

14.

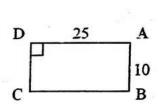


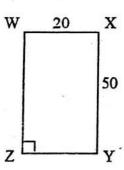
15.





16.



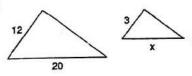


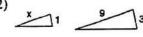
17. Suppose $\triangle CAN \sim \triangle JOY$. If $m \angle A = 96^{\circ}$, $m \angle N = 46^{\circ}$ and $m \angle C = 38^{\circ}$, then $m \angle Y =$ _____, $m \angle J =$ ____ and $m \angle O =$ ____.

Similar Figures

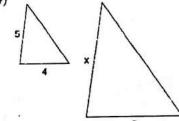
Each pair of figures is similar. Find the missing side.

1)



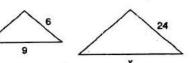


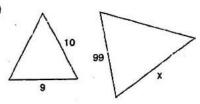


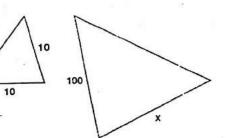




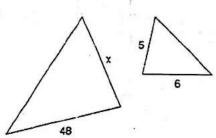
6)



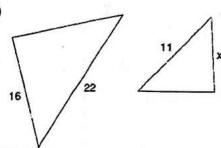




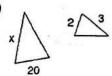
9)



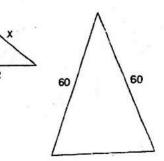
10)



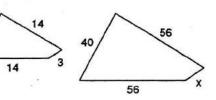
11)



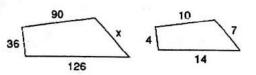
12)

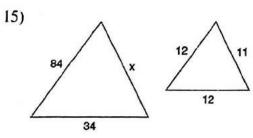


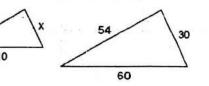
13)

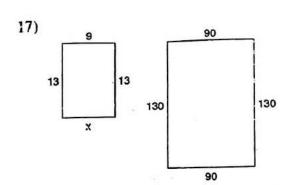


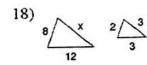
14)

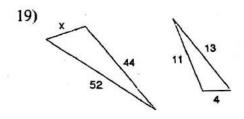




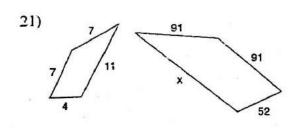


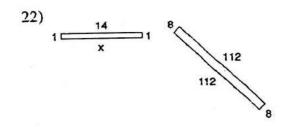


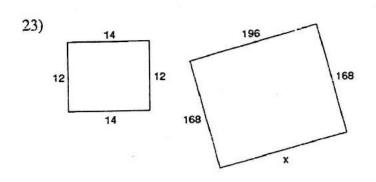


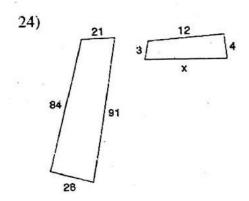










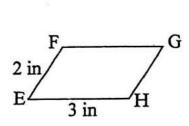


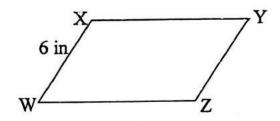
20

4 .

Show proportions for all problems.

1. Parallelogram EFGH is similar to parallelogram WXYZ.



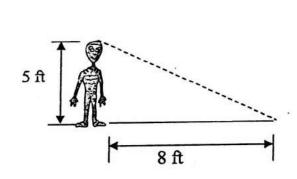


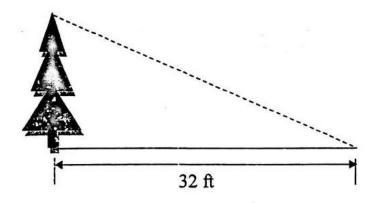
What is the length of \overline{WZ} ?

- a) 3 in
- b) 6 in
- c) 7 in
- d) 9 in

2. Lance the alien is 5 feet tall. His shadow is 8 feet long.







At the same time of day, a tree's shadow is 32 feet long. What is the height of the tree?

- a) 20 feet
- b) 24 feet
- c) 29 feet
- d) 51 feet

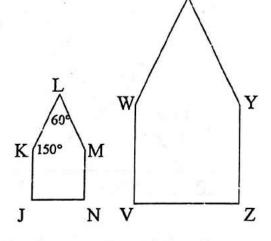
3. Mr. Smith is having some photos enlarged for his studio. He wants to enlarge a photo that is 5 inches by 7 inches so the dimensions are 3 times larger than the original. How many times larger than the original photo will the area of the new photo be?

- a) 3
- b) 6
- c) 9
- d) 30

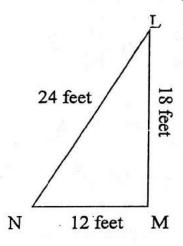
4. Pentagon JKLMN is similar to pentagon VWXYZ.

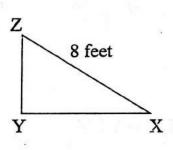
What is the measurement of angle X?

- a) 30°
- b) 60°
- c) 150°
- d) 120°



5. Triangle LMN is similar to triangle XYZ.

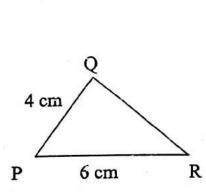


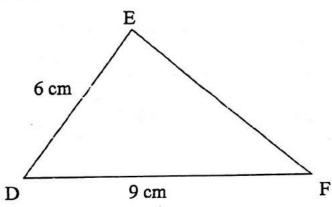


What is the length of \overline{YX} ?

- a) 2 feet
- b) 3 feet
- c) 4 feet
- d) 6 feet
- 6. A six-foot-tall person is standing next to a flagpole. The person is casting a shadow $1\frac{1}{2}$ feet in length, while the flagpole is casting a shadow 5 feet in length. How tall is the flagpole? a) 30 ft b) 25 ft c) 20 ft d) 15 ft

7. Triangle PQR is similar to triangle DEF as shown.





Which describes the relationship between the corresponding sides of the two triangles?

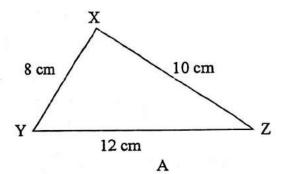
a)
$$\frac{PQ}{DE} = \frac{4}{6}$$
 b) $\frac{PQ}{DE} = \frac{6}{4}$ c) $\frac{PQ}{EF} = \frac{4}{9}$ d) $\frac{PR}{DE} = \frac{6}{6}$

b)
$$\frac{PQ}{DE} = \frac{6}{4}$$

c)
$$\frac{PQ}{EF} = \frac{4}{9}$$

d)
$$\frac{PR}{DE} = \frac{6}{6}$$

8. ΔABC is similar to ΔXYZ.



6 cm

What is the length of segment \overline{BC} ?

- a) 5 cm b) 7.5 cm c) 8 cm d) 9 cm
- e) 10 cm

9. Ryan and Kathy each drew a triangle with an angle of 20 degrees. Under which condition would the triangles be similar?

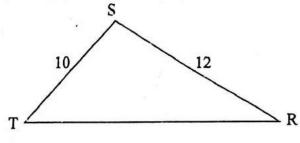
- a) if both are right triangles
- b) if both are obtuse triangles
- c) if the triangles have the same area
- d) if the triangles have the same perimeter

10. ΔHIJ is similar to ΔSTR.

I 6 S

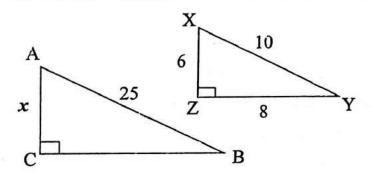
What is the perimeter of Δ STR?

- a) 32
- b) 37
- c) 40
- d) 42
- e) 120

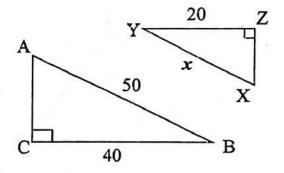


Find the missing side lengths, x and y, in each pair of similar figures.

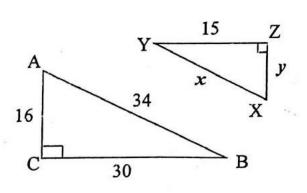
11. $\triangle ABC \sim \triangle XYZ$



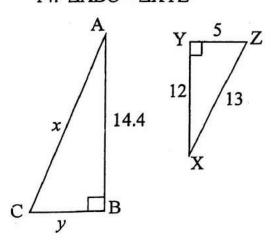
12. $\triangle ABC \sim \triangle XYZ$



13. $\triangle ABC \sim \triangle XYZ$



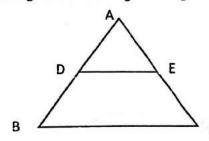
14. $\triangle ABC \sim \triangle XYZ$



Day 4 Notes

Midsegments of a Triangle

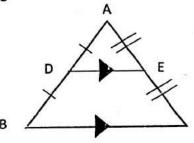
A midsegment of a triangle is a segment that connects the ______ of two sides of a triangle.



In the figure, _____ is the midpoint of _____ and ____ is the midpoint of _____ . Thus, ____ is a midsegment.

The Triangle Midsegment Theorem

A midsegment connecting two sides of a triangle is ______ to the third side and is _____ as long.



If _____ = ____ and ___ = ____ Then ____ || ____ and ___ = ___





- 1. Using a straightedge, draw a triangle in the space above. Label it $\triangle ABC$.
- 2. Trace $\triangle ABC$ onto a sheet of patty paper, using a straightedge. Label the vertices appropriately.
- 3. Patty paper pinch the midpoint of side \overline{AB} , labeling it point M and patty paper pinch the midpoint of side \overline{BC} , labeling it point N.
- 4. Using a straightedge, draw segment \overline{MN} . This is a midsegment of $\triangle ABC$.
- 5. Compare \angle BMN on the patty paper to \angle A above. Compare \angle BNM on the patty paper to \angle C above. What is the relationship of each pair of angles? What does this relationship tell you about segments $\overline{\text{MN}}$ and $\overline{\text{AC}}$? Explain.
- 6. Using the segment \overline{MN} on your patty paper and segment \overline{AC} above, determine how many segments of length equal to \overline{MN} it takes to equal the length of \overline{AC} . Record your answer below.
- 7. Summarize your findings in a complete sentence.



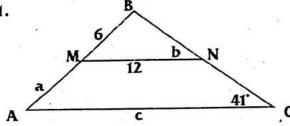
ARITHMETIC, ALGEBRA, AND MIDSEGMENTS OF A TRIANGLE

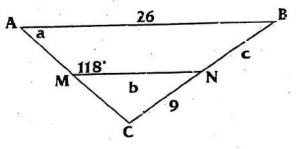


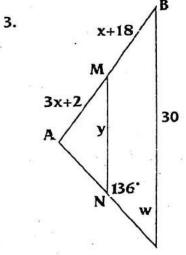
Structure: Boss/Secretary

Find the value of each variable below. In each problem \overline{MN} is a midsegment of the triangle. The diagrams are not drawn to scale.

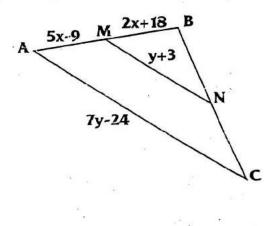
1.

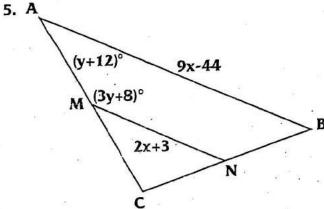




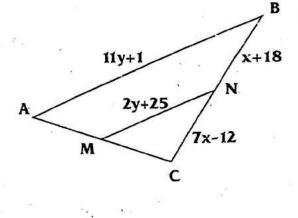


4,





6.



3.4 Midsegments - Show What You Know!

1) XY is the midsegment of Δ RST. Find each requested measure based on the given information.

a)
$$XY = 16$$
, $RS = ?$

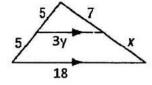
b)
$$RS = 22, XY = ?$$

c)
$$XY = 5x$$
, $RS = 15$, $x = ?$

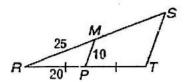
d)
$$m\angle R = 23^{\circ}$$
, $m\angle TXY = ?$

e)
$$m\angle XYS = 137^{\circ}$$
, $m\angle YSR$

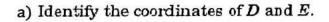
2) Find x and y.



3) Find MS, PT, and ST.

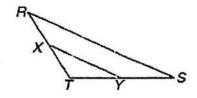


4) Triangle ABC has vertices A(-5, 2), B(1, 8), and C(4, 2). Point D is the midpoint of \overline{AB} and E is the midpoint of \overline{AC} .





c) Show that $DE = \frac{1}{2}BC$.

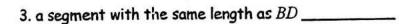


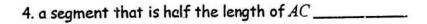
Foundations of Math 2 Unit 3 Midsegment Worksheet #1

Use the Triangle Midsegment Theorem to name parts of the figure.

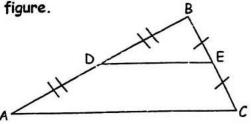


2. a segment parallel to AC _____

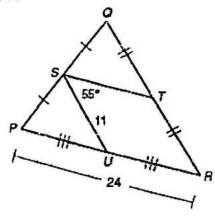


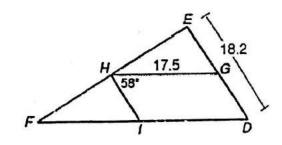


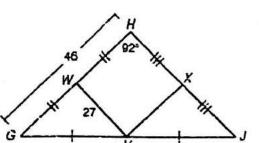
5. a segment twice the length of EC_____



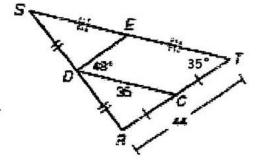
Use the Triangle Midsegment Theorem to find each measure.



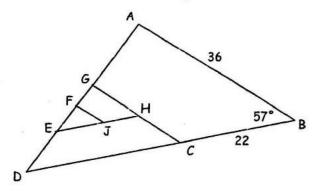








 \overline{CG} , \overline{EH} , and \overline{FJ} are midsegments of ΔABD , ΔGCD , and ΔGHE , respectively. Find each measure.

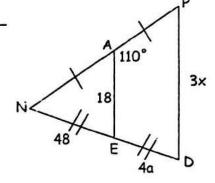


 $\overline{AE}\,$ is a midsegment of $\Delta PND.$ Find each measure.

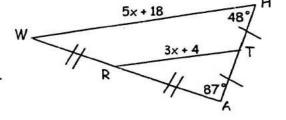
- 26. m / NAE = _____
- 27. m∠P=____

28. x = _____

29. a = _____



 $\overline{RT}\,$ is a midsegment of $\Delta WHA.$ Find each measure.



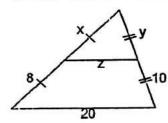
34. m∠ W = _____

. .

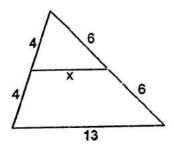
W.

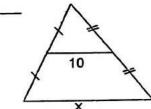
Directions: Find the values of the variables. You must show all work to receive full credit. Figures are not drawn to scale.

1. x=____ y=___ z=___

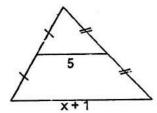


2. x=____

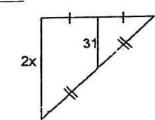




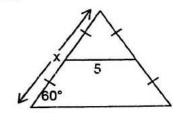
4. x=___



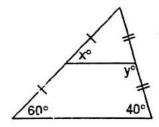
5. x=



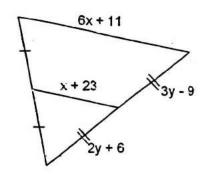
6. x = ____



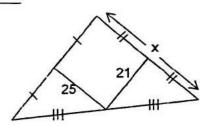
7. $x = y = ____$



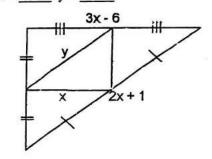
8. x = ____ y = ____



9. x = ___



10. x = ____ y = ____



V. Coordinate Scometry.

15. Graph 14BC, given 4(-5.-5).

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6: 5	-4: -	3; -2	-1;	1	1	2 :	3 4	5	5	7
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		_						i	i i.	

16. Find and graph point D, the midpoint of \overline{AB} . Find and graph point E, the midpoint of \overline{BC} . Then draw in \overline{DE} .

D(______) and E(______)

17.

DE is also known as a ______ of

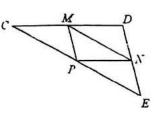
18. What properties are true of a triangle's midsegment?

Midsegment of a Triangle

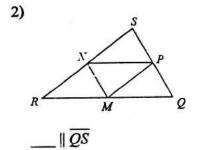
Date	Period
Date	Pellou

In each triangle, M, N, and P are the midpoints of the sides. Name a segment parallel to the one given.



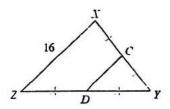


 $\overline{CD} \parallel \underline{\hspace{1cm}}$

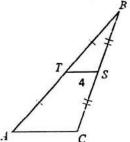


Find the missing length indicated.

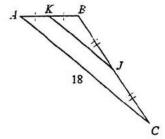
3) Find CD



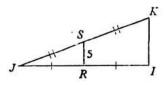
4) Find AC



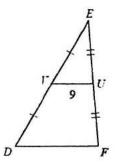
5) Find KJ



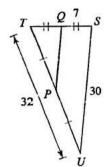
6) Find IK



7) Find DF

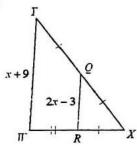


8) Find PQ

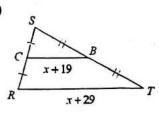


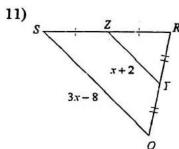
Solve for x.



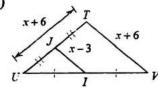


10)



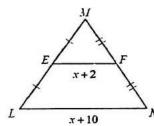


12)

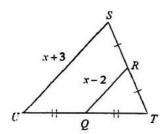


Find the missing length indicated.

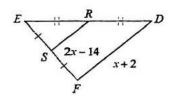
13) Find LN



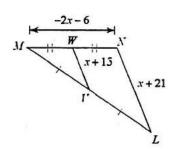
14) Find RQ



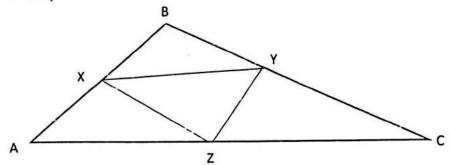
15) Find SR



16) Find VW



Day 6 Warm Up



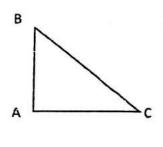
In the diagram, X is the midpoint of \overline{AB} , Y is the midpoint of \overline{BC} , and Z is the midpoint of \overline{AC} .

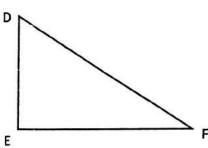
- 1. If AB = 40, then ZY = _____
- 2. If XZ = 25, then BC = _____
- 3. If AZ = 30, then ZC = _____
- 4. If AC = 2x, then XY = _____

Day 6 Notes

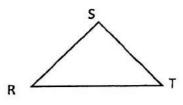
If 2 triangles are congruent, then we know 6 facts.

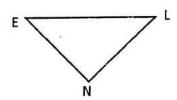
∆ABC ≅**△** DEF





A RST ≅ LNE



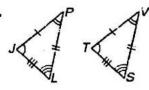


- 1. *RT* ≅ _____
- 2. *LE* ≅ _____
- 3. <N≅____
- 4. <S≅_____
- 5. \$\overline{ST} \cong \overline{\cong \cong \
- 6. <R ≅ _____

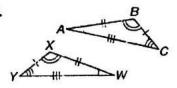
Skills Practice

Congruent Triangles

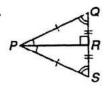
Identify the congruent triangles in each figure.



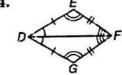
2.



3.



4.



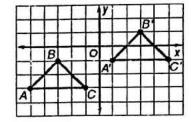
Name the congruent angles and sides for each pair of congruent triangles.

5.
$$\triangle ABC \cong \triangle FGH$$

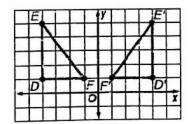
6.
$$\triangle PQR \cong \triangle STU$$

Verify that each of the following transformations preserves congruence, and name the congruence transformation.

7.
$$\triangle ABC \cong \triangle A'B'C'$$



8.
$$\triangle DEF \cong \triangle D'E'F'$$

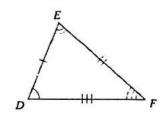


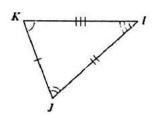
Congruence and Triangles

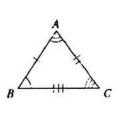
Date______Period__

Complete each congruence statement by naming the corresponding angle or side.

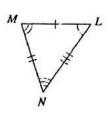
1) $\Delta DEF \cong \Delta KJI$





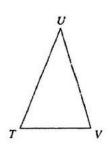


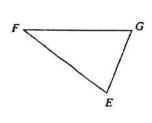
2) $\Delta BAC \cong \Delta LMN$

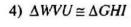


 $\overline{FD} \cong ?$

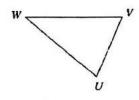
3) $\Delta TUV \cong \Delta GFE$

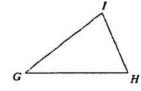






 $\angle A \cong ?$

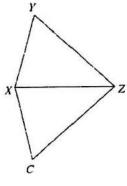




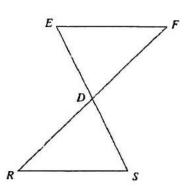
 $\angle W \cong ?$

5) $\Delta ZXY \cong \Delta ZXC$

 $\angle U \cong ?$



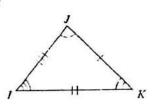
c ∠*Y* ≅ ? 6) $\Delta DEF \cong \Delta DSR$



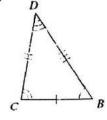
 $\angle F \cong ?$

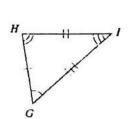
Write a statement that indicates that the triangles in each pair are congruent,

7)

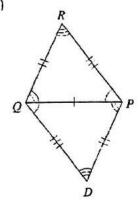


T R

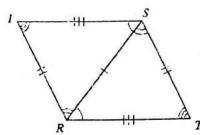




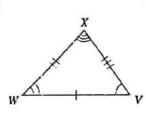
9)



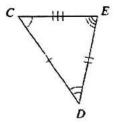
10)



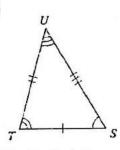
11)



_____E

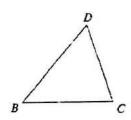


12)

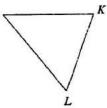


Mark the angles and sides of each pair of triangles to indicate that they are congruent.

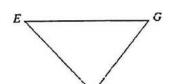
13) $\Delta BDC \cong \Delta MLK$

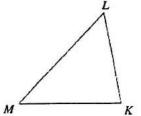


М

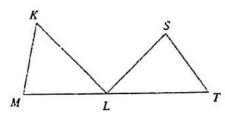


14) $\triangle GFE \cong \triangle LKM$

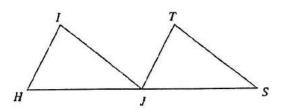


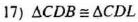


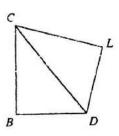
15) $\Delta MKL \cong \Delta STL$



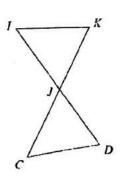
16) $\Delta HIJ \cong \Delta JTS$







18) $\Delta JIK \cong \Delta JCD$



Day 7 Warm Up

Name the congruent angles and sides for each pair of congruent triangles.

△SBM ≅ TCN

2. △CAT≅△DOG

SSS (Side-Side-Side)		ngle are	
to the	of anot	ther triangle, then the	
*	140		
		, B	
SAS (Side-Angle-Side	e) Postulate		
If	and the	and the	of

If	a	nd the		
a triangle a	re to			and the
	de of another triangle, t			
	<u> </u>		•	
AAS (Angle-	Angle-Side) Postulate			
If	aı	nd the		
	and the correspond	ding non-includ	led side of an	other triangle,
then the				•

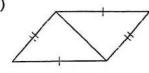
Name

Assignment

Period Date

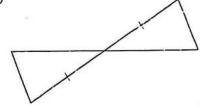
State if the two triangles are congruent. If they are, state how you know.

1)

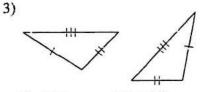


- A) SSS
- B) SAS
- C) AAS
- D) Not congruent

2)



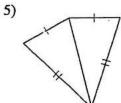
- A) AAS
- B) SAS
- C) SSS
- D) Not congruent



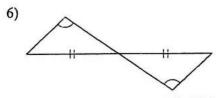
- A) ASA
- B) AAS
- C) SSS
- D) SAS



- A) SAS
- B) AAS
- C) SSS
- D) ASA

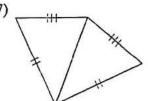


- A) AAS
- B) SAS
- C) SSS
- D) ASA

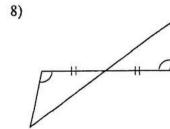


- A) Not congruent
- B) SSS
- C) ASA
- D) AAS

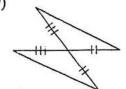
7)



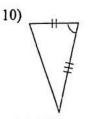
- A) SSS
- B) SAS
- C) AAS
- D) ASA



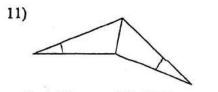
- A) Not congruent
- B) ASA
- C) SAS
- D) SSS



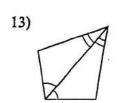
- A) ASA
- B) AAS
- C) SAS
- D) SSS



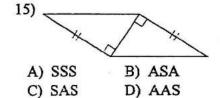
- A) SSS
- B) Not congruent
- C) SAS
- D) ASA

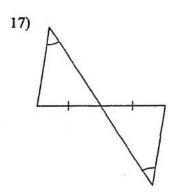


- A) AAS
- B) SAS
- C) ASA
- D) Not congruent

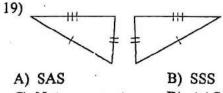


- A) AAS
- B) SAS
- C) Not congruent
- D) ASA

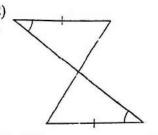




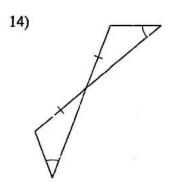
- A) ASA
- B) AAS
- C) Not congruent
- D) SAS



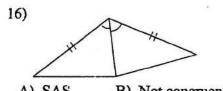
- C) Not congruent
- D) AAS



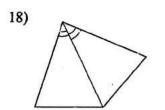
- A) SSS
- B) AAS
- C) Not congruent
- D) ASA



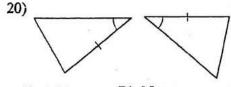
- A) SAS
- B) Not congruent
- C) AAS
- D) SSS



- A) SAS
- B) Not congruent
- C) SSS
- D) ASA



- A) AAS
- B) Not congruent
- C) SAS
- D) SSS



- A) ASA
- B) Not congruent
- C) SAS
- D) AAS

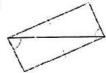


SSS, SAS, ASA, and AAS Congruence

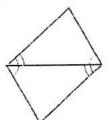
Period_ Date_

State if the two triangles are congruent. If they are, state how you know.

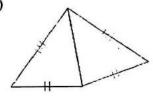
1)



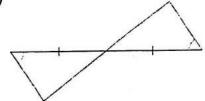
2)

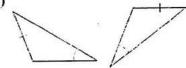


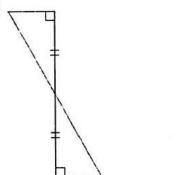
3)

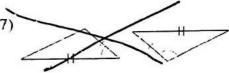


4)

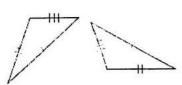




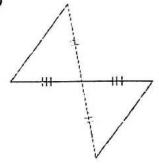


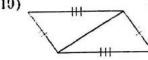


8)



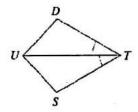
9)



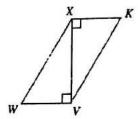


State what additional information is required in order to know that the triangles are congruent for the reason given.

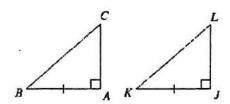
11) ASA



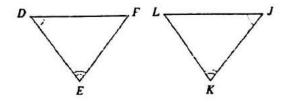
12) SAS



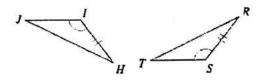
13) SAS



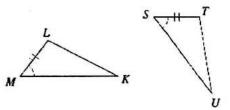
14) ASA



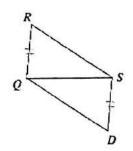
15) SAS



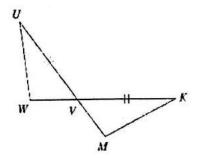
16) ASA



17) SSS

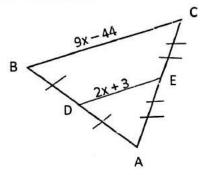


18) SAS

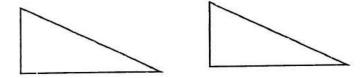


Day 8 Quiz Review

1. Solve for x.



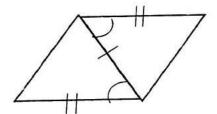
2. Identify the congruent triangles in each figure.



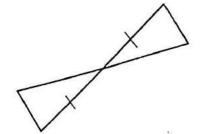
≅ _____

3. State if the two triangles are congruent. If they are, state how you know.

a)



b)

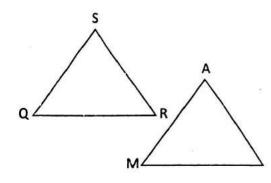


4. Given $\triangle SRQ \cong \triangle ATM$, list all six triangle congruences.

a. _____

b.

C. _____

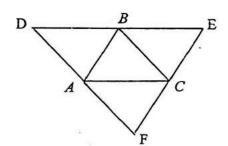


d.

e.

f._____

5. DE = 18, DA = 10, and FC = 7. Find AB, BC, and AC.



AB = ____ BC = ___ AC= ___

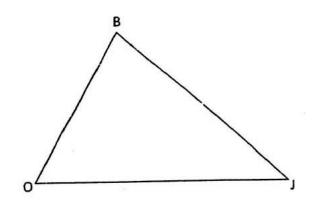
1) Given ΔJOB , state each of the following:



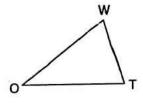
b. The angle opposite \overline{OJ} : _____

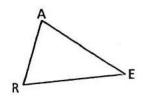
c. The side included between ≰B and ≰O: _____

d. The angle included between \overline{OJ} and \overline{OB} :



2) Given $\triangle TWO \cong \triangle ARE$, state the six congruences.



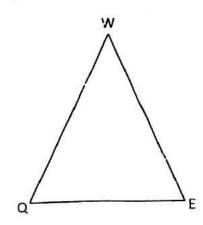


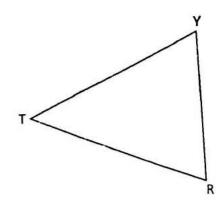
Angles	Sides		

3) Given $\triangle POI \cong \triangle NTS$, state the six congruences.

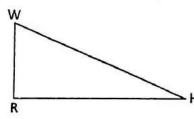
Angles	Sides	
	-	-
		_
		-

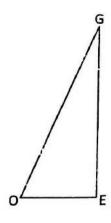
4) Mark the angles and sides of the triangles to show that $\Delta QWE \cong \Delta RTY$



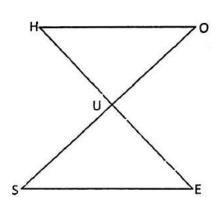


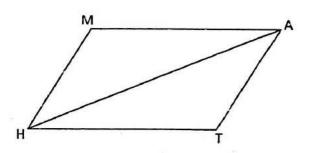
5) Complete each of the following statements.

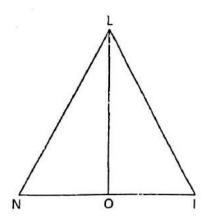




6) Complete each congruence statement.





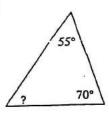


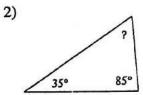
Period_

Practice Problems
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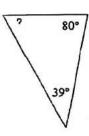
Find the measure of each angle indicated.

1)

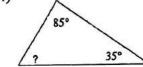




Date_

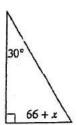


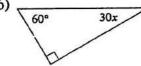
4)



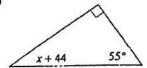
Solve for x.

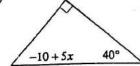
5)





7)





You can use proportional relationships to find missing side lengths in similar figures

Solve each proportion.

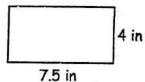
1. $\frac{3}{8} = \frac{x}{24}$

2. $\frac{5}{7} = \frac{25}{y}$

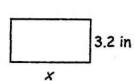
3. $\frac{5}{t} = \frac{t}{45}$

Find the indicated length for each pair of similar figures.

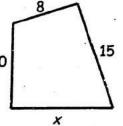
4.



n

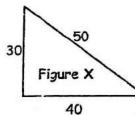


X,



4 5

6. Which of the following figures are similar to Figure X? (there may be more than one)



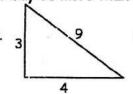
a.



ь.



c



d.



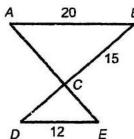
X In the diagram below, \overline{AB} is parallel to \overline{DE} . AB = 20 inches, DE = 12 inches, and BC = 15 inches. What is the length of \overline{DC} ?

A. 25 in.

C. 7 in.

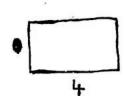
B. 9 in.

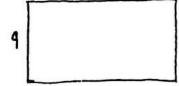
D. 90 in.



8. A rectangle has a length of 4 feet and a perimeter of 14 feet. What is the perimeter of a similar rectangle with a width of 9 feet?

- A. 36 ft B. 108 ft
- C. 42 ft
- D. 126 ft





Congruent Figures- Polygons that have BOTH the same and the same	
Similar Figures -Polygons that have the same, but different	
-Corresponding Parts - Having the same	
Two polygons are similar if:	
1are congruent AND	
2. the lengths of are proportional/scale fact	Or.
recall: The of proportions are	
The simplified proportional relationship is called the	
D $12 102^{\circ} 15$ $B 44^{\circ} 34^{\circ} C$	
$E \xrightarrow{44^{\circ}} 34^{\circ} F$	
1. Which angle corresponds to ∠A?	
2. Which angle corresponds to ∠B?	
3. Which angle corresponds to ∠C?	
4. Does each angle and its corresponding angle have the same measurement?	
5. Which side corresponds to AB?	
6. Which side corresponds to $\overline{\text{CB}}$?	
7. Which side corresponds to AC?	
8. What is the ratio of side \overline{AB} length to the length of it corresponding side?	
9. What is the ratio of side \overline{BC} length to the length of it corresponding side?	
10. What is the ratio of side AC length to the length of it corresponding side?	
11. What are the ratios equal to in lowest terms?	
12. Are all three ratios equal?	
13. What is the scale factor of ΔABC to ΔDEF?	
14 What is the scale factor of ADEF to AABC?	

Tutor-USA.com Worksheet

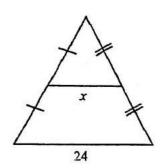
Geometry Triangle Midsegment Theorem

Name: _ Date: _

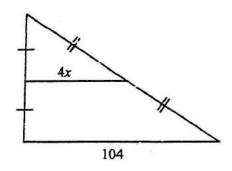
1) The Triangle Midsegment Theorem states that in a		ment Theorem states that in any	triangle, a segment joining	g the midpoints of any two sides will
	be	to the third side and	its length.	

Use the Triangle Midsegment Theorem to find the value of x.

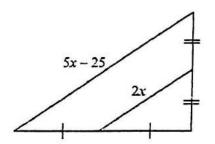
2)

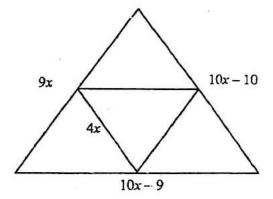


3)



4)

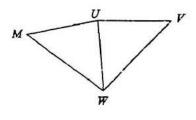




Congruence Statements and Carresponding Sides and angles e 2012 Kuta Software LLC. All rights reserved.

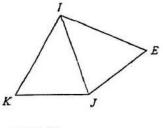
Complete each congruence statement by naming the corresponding angle or side.

1) ∆WUV≅∆WUM



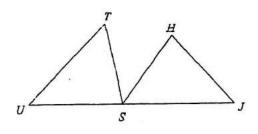
∠VWU≅?

3) $\Delta IJK \cong \Delta IJE$



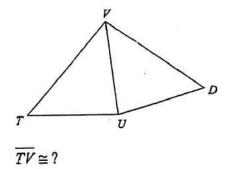
∠*IJK* ≅ ?

5) $\Delta UTS \cong \Delta ISH$

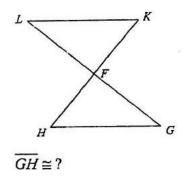


 $\angle U \cong ?$

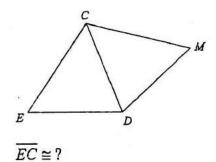
2) $\Delta VUT \cong \Delta VUD$



4) $\Delta FGH \cong \Delta FLK$



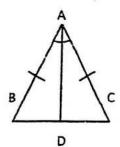
6) $\triangle CDE \cong \triangle CDM$

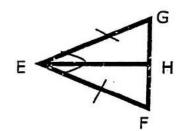


Proving Triangle Congruence - Independent Practice Worksheet

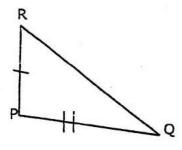
Complete all the problems. Determine if the triangles are congruent. State the proof that can be used to determine the congruent relationship.

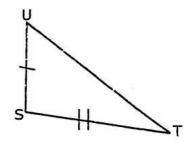
1.



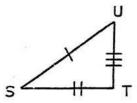


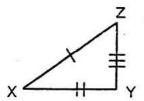
2.

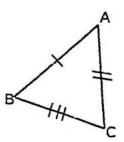


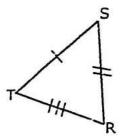


3.





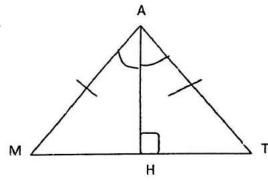






For #1, state the meaning of each marking.

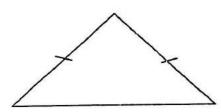
1.



For # 3-5, describe the triangle using the word bank provided. Each triangle can be described with 2 words.

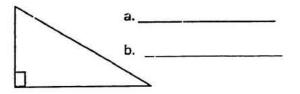
Acute Δ , right Δ , Obtuse Δ , scalene Δ , isosceles Δ , equilateral Δ

2.

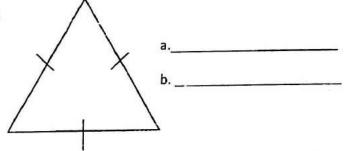




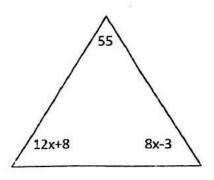
3.

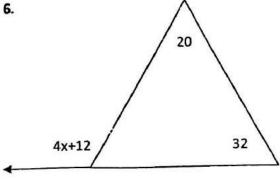


4.

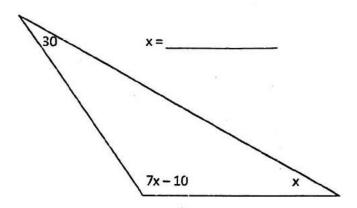


Find x in the following.

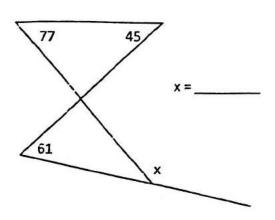




7.



8.

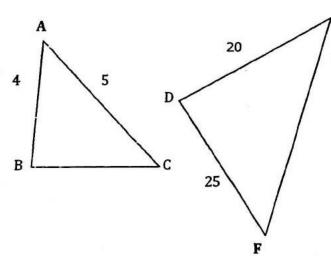


- 9. Given \triangle ABC \sim \triangle DEF
 - a. Complete the following based on the definition of similar triangles. (6 pts)

≅∠E

$$\frac{AB}{BC} = \frac{BC}{DF}$$

ъ.

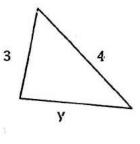


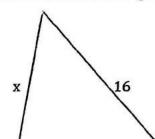
E

What is the scale factor for $\triangle ABC$ to $\triangle DEF$?

10. Given that the 2 figures are similar, solve for the given variables.

a.



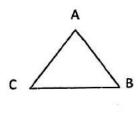


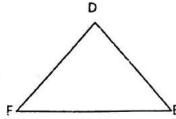
13

X =____

, Y=____

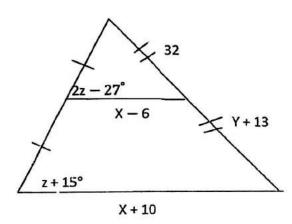
11. Given \triangle ABC \sim \triangle DEF, Find X





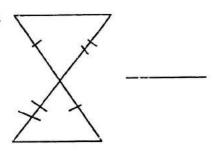
AB = x BC = 5

12. Find X, Y, and Z

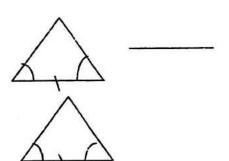


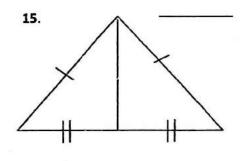
State whether the triangles are congruent by: SSS, SAS, ASA, AAS, or not possible

13.

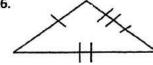


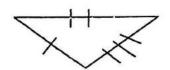
14.



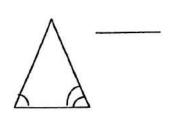


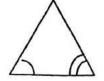
16.

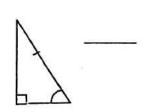




17.







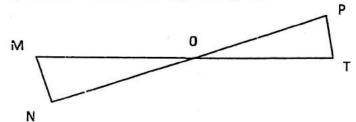


19. Name the congruent angles and sides for each pair of congruent triangles

Given ∆ ABC ≅ ∆DEF ≅

____≅ ___≅ ____≅

20. Given $\overline{\text{M0}\cong\text{T0}}$; $\overline{\text{N0}}\cong\overline{\text{P0}}$, Determine if the triangles are congruent. Write the triangle congruency statement and state which of the 5 postulates made the triangles congruent.

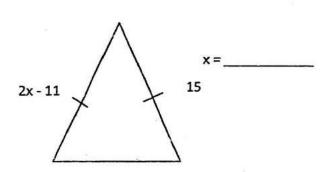


 $\Delta MON \cong \Delta$

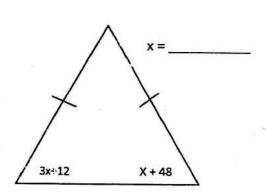
Reason: _____

Find x in the following.

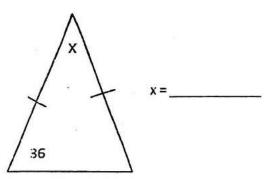
21.



22.



23.



24.

